

## Generate and fit two overlapping Gaussians

Use the `RandomVariate` function to generate a set of numbers that follow the sum of two Gaussian (aka Normal) distributions. Choose different peak positions and widths of the two Gaussians so that they overlap significantly, and generate a total of something like ten thousand numbers.

Make a histogram of these numbers to see that your distribution has two bumps that overlap significantly. It will be helpful if you define a parameter for the bin width of the histogram, because it will be useful later. A handy way to define the bin width would be something like one-tenth of the smaller of the two Gaussian width parameters.

Now extract the data values for the histogram using `HistogramList`. (It will be helpful to use the same bin width parameter you used for your displayed histogram.) Note that this function returns a list of bin edges and frequency values, and that there is one more element in the bin edge list than there are frequencies. Turn these two lists into a two-dimensional data array for fitting and plotting.

Use `FindFit` to fit this data to a function that is the sum of two Gaussians, and find the six parameters for the best fit. As a reminder, the form for a Gaussian normalized to unity is

$$g(x; \mu, \sigma) = \frac{1}{\sigma\sqrt{2\pi}} \exp\left[-\frac{(x - \mu)^2}{2\sigma^2}\right]$$

Compare your six fitted parameters to the numbers you used to generate the distribution. (A generated distribution can be thought of as  $dN/dx$  where  $dx$  is the bin width.)

Finally, make a plot that superimposes the histogram values with the fitted curve. Try to code this in such a way that the horizontal and vertical limits on the plot are determined in a way you can control, and which neatly cover the range of values.

Send the grader an email with your notebook as an attachment.